

Simplifying industrial dispersions

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1. Introduction

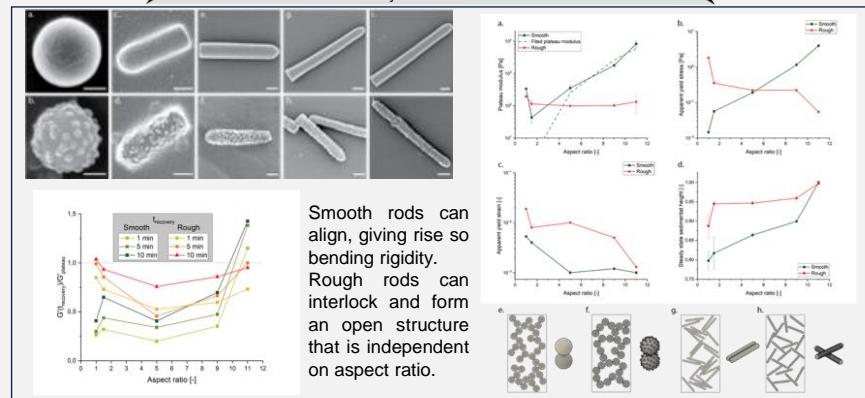
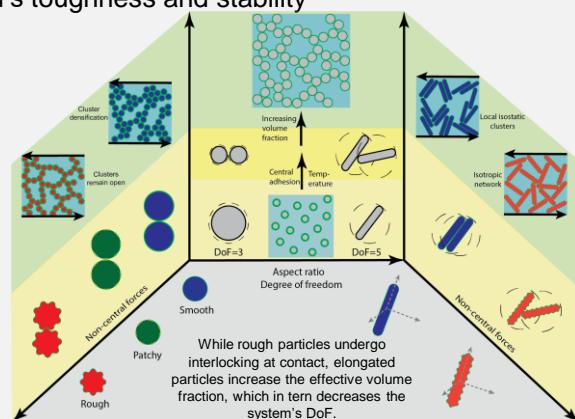
Design and characterize model system with new design handles, tailoring the shape and surface roughness

Develop advanced characterization methods encompassing both macroscale and microscale analyses

Benchmark model systems against simplified representations of relevant industrial formulations

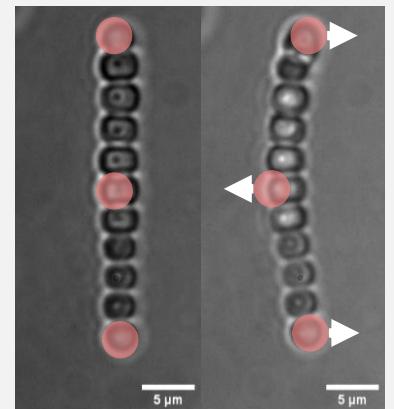
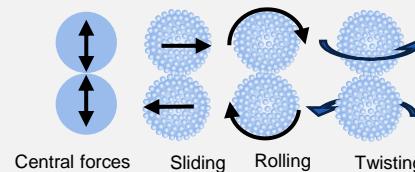
2. Particle interaction as design parameters

- Decreasing the system's degrees of freedom (DoF) enhances material's toughness and stability



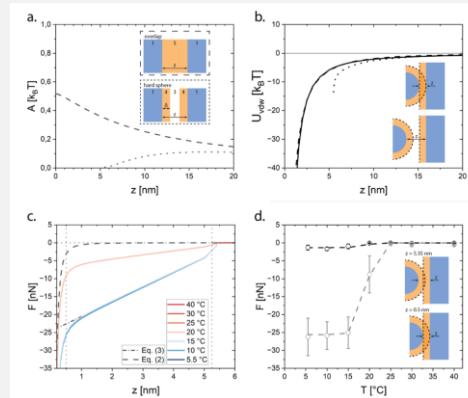
- Microscopic methods to investigate interaction between particles: both single particle and local multiparticle interactions

Investigating multiparticle interactions with optical tweezers: Silica particles are assembled into linear aggregates. Bending tests on these structures reveal the backbone stiffness of cluster-cluster connections in the gel



Deformation of linear chain of 2 μm silica via optical trapping

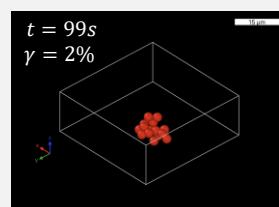
Polymer brushes mediated interaction



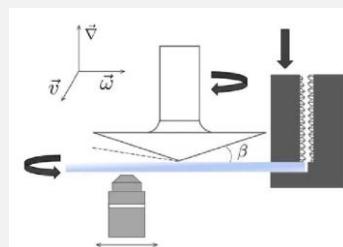
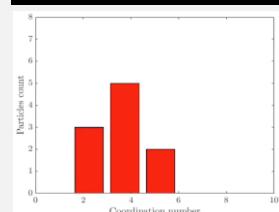
Measuring interparticle forces with AFM: Investigating central (adhesive) and non-central (frictional) forces

- Hamaker functions
- VDW forces between sphere and wall
- Force curves
- Model versus calculations (approach/sep)

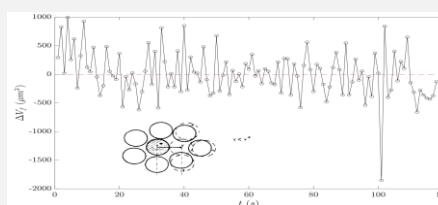
4. Microstructural evolution and plastic event detection



Our ultrafast rheo-confocal setup allows us to capture the live evolution of the colloidal gel microstructure under shear while measuring its effects on rheological properties.



A compaction into a more stable structure can be seen by tracking the particles during flow reversal.



5. Simple model for yield-stress materials

$$\sigma_{12} = G\gamma_e$$

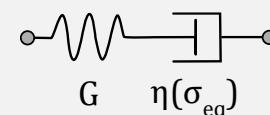
$$\dot{\gamma}_e = \dot{\gamma} - \dot{\gamma}_p$$

$$\sigma_{eq} = |\sigma_{12}|$$

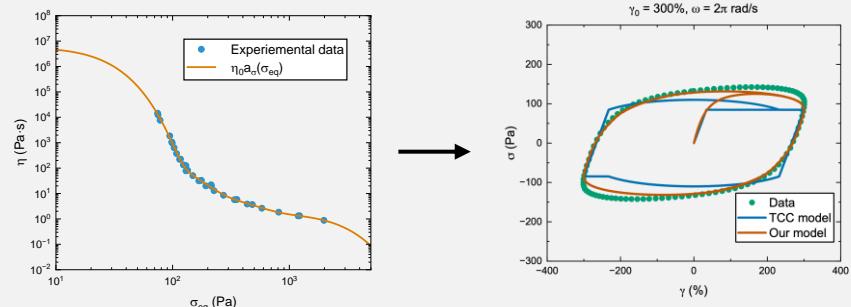
$$\dot{\gamma}_p = \frac{\sigma_{12}}{\eta(\sigma_{eq})}$$

$$\eta(\sigma_{eq}) = \eta_0 a_\sigma(\sigma_{eq})$$

Stress-activated Maxwell model



Simplest material model for elasto-visco-plastic materials. The elastic stress is dissipated by an as-hoc plastic viscosity, retrieved by the description of non-linear behaviour. It can predict complex dynamic, as LAOS, for yield-stress material in a smoother way than classic model, e.g. three-component-model (TCC).



Conclusions and further work:

- Detailed microstructural studies on rough systems
- Opto-mechanical characterization of sheared structures

- Simple constitutive model that is able to predict complex deformation
- Micro-scale probing of single particles or clusters and targeted deformation modes